

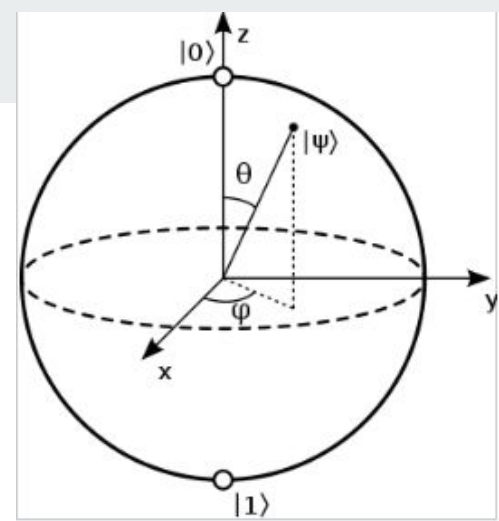


Reinforcement Learning with Neural Networks for Quantum Feedback

Zehra Abdrahim

Quantum information intro

- Bit vs. qubit
- Qubit states - Coherence $|\psi\rangle = \alpha|0\rangle + \beta|1\rangle$ $|\alpha|^2 + |\beta|^2 = 1$
- Bloch sphere representation
- Quantum logic gates
 - Quantum entanglement
 - Controlled NOT gate



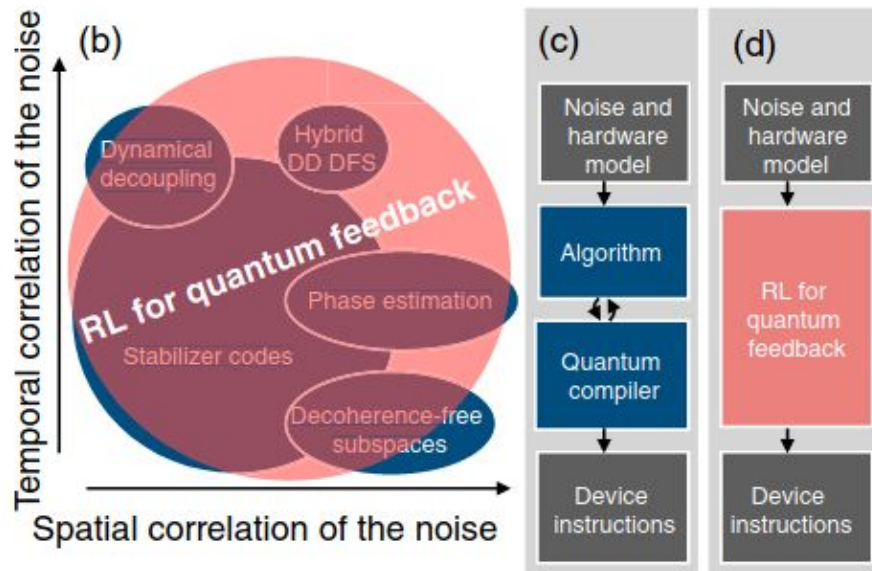
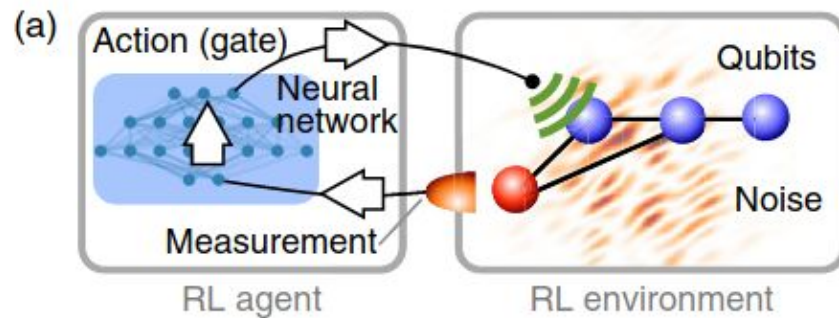


Neural-Network-based RL in a few-qubit quantum system

- Finds quantum-error-correction strategies
 - Finds complex sequences like projective measurements and entangling gates
- Protects quantum memory from noise and decoherence
- Unified, fully autonomous, human-guidance free
- Finds hard-ware adapted solutions



- Key ideas in the method
 - 2-stage learning - state-aware network and recurrent network
 - A measure of the student quantum info (initial state to be fully restored)



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- Probabilistic policy

$$\pi_{\theta}(a_t|s_t)$$

- Policy gradient rule

$$\delta\theta_j = \eta \frac{\partial \mathbb{E}[R]}{\partial \theta_j} = \eta \mathbb{E} \left[R \sum_t \frac{\partial}{\partial \theta_j} \ln \pi_{\theta}(a_t|s_t) \right]$$

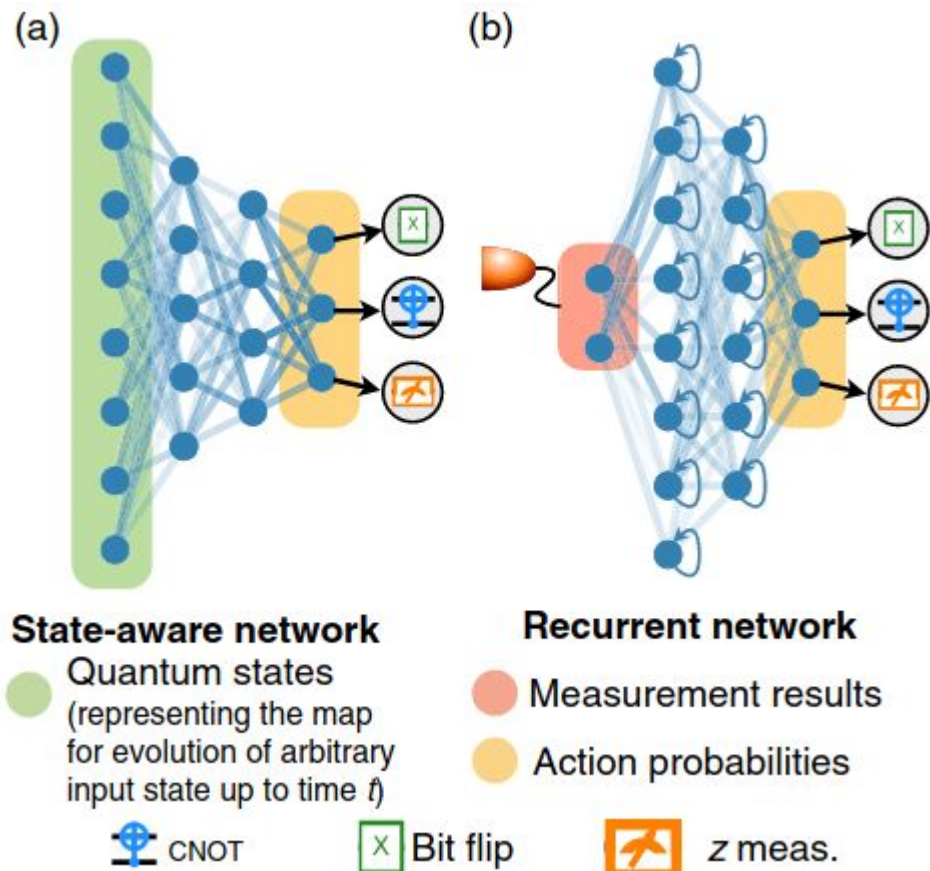


RL Approach to Quantum Memory

- Steps for the stabilizer-code
 - the encoding, in which the logical state initially stored in one qubit is distributed over several physical qubits,
 - the detection of errors via measurement of suitable multiqubit operators,
 - The subsequent correction,
 - the decoding procedure that transfers the encoded state back into one physical qubit,
- $\alpha|0\rangle + \beta|1\rangle$

Phase estimation

- 4 initial quantum states $\hat{\rho}(0)$ for one logical qubit
- Completely positive map Φ of the multiqubit system that maps $\hat{\rho}(0) \circ \hat{\rho}(t)$
- Partially observed Markov process

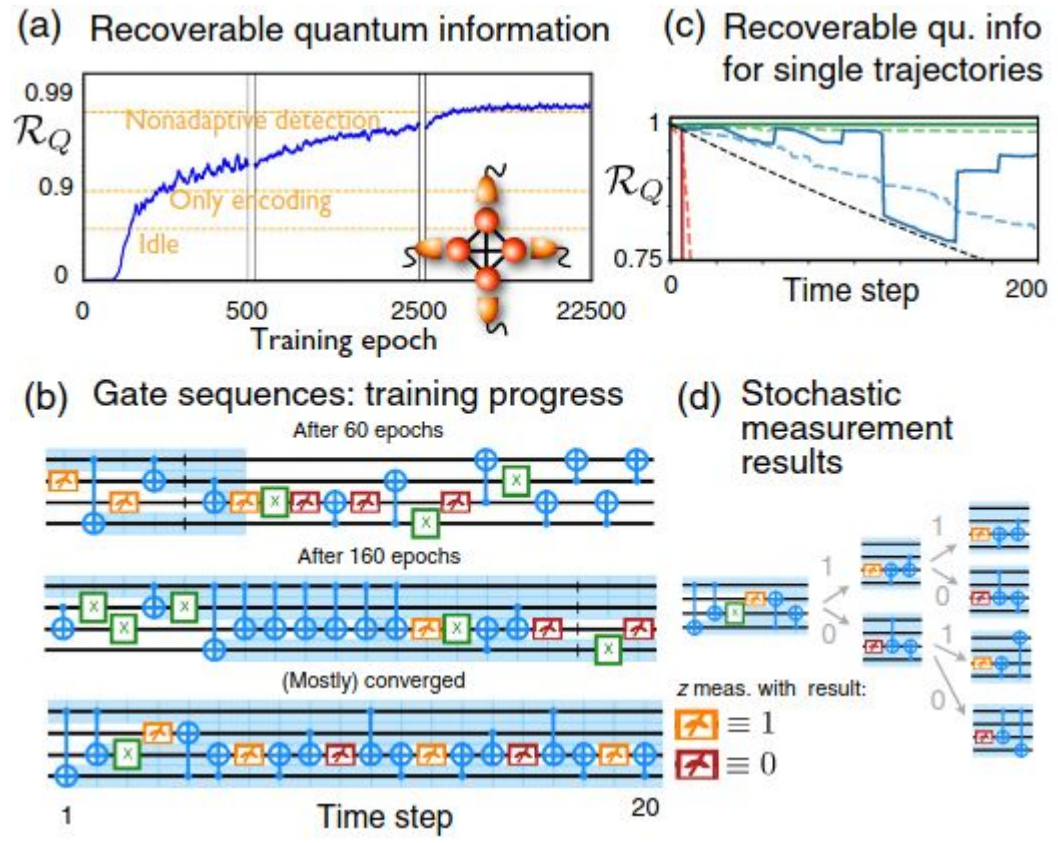


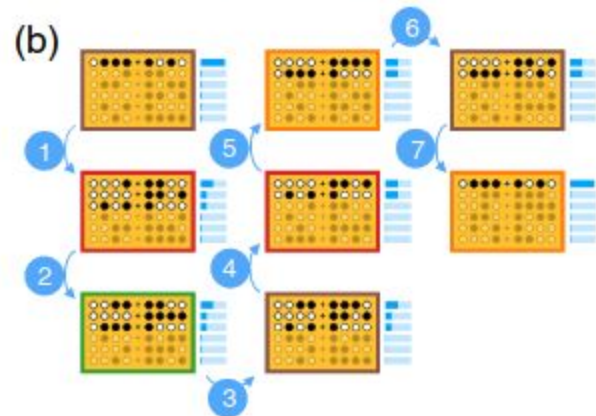
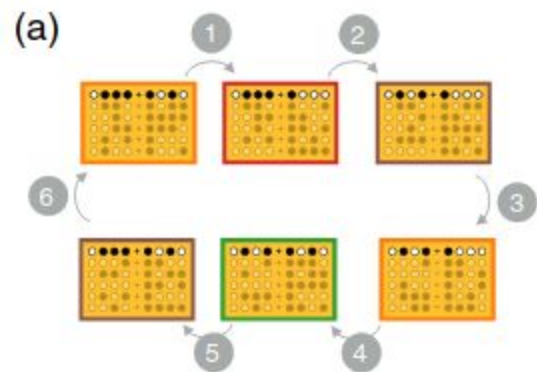


Reward

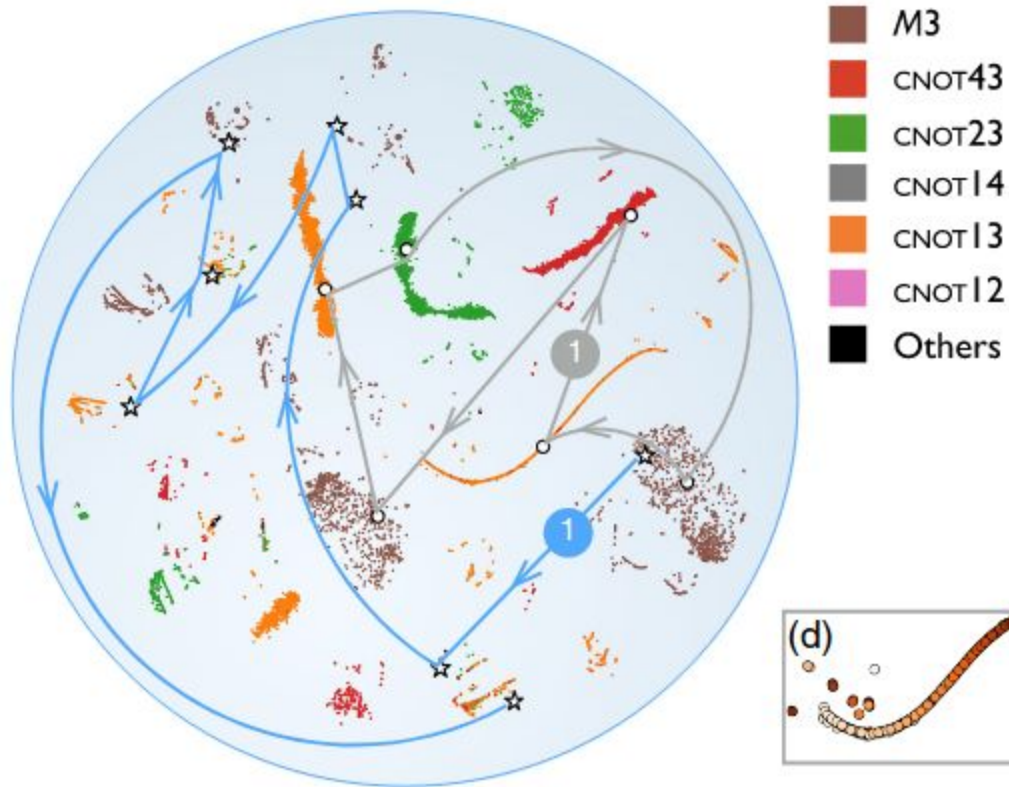
- The probability to distinguish two quantum states by after mapping:
 - Trace distance $\frac{1}{2} \|\hat{\rho}_{\vec{n}}(t) - \hat{\rho}_{-\vec{n}}(t)\|_1$
- Recoverable quantum info
 - $\mathcal{R}_Q(t) = \frac{1}{2} \min_{\vec{n}} \|\hat{\rho}_{\vec{n}}(t) - \hat{\rho}_{-\vec{n}}(t)\|_1$

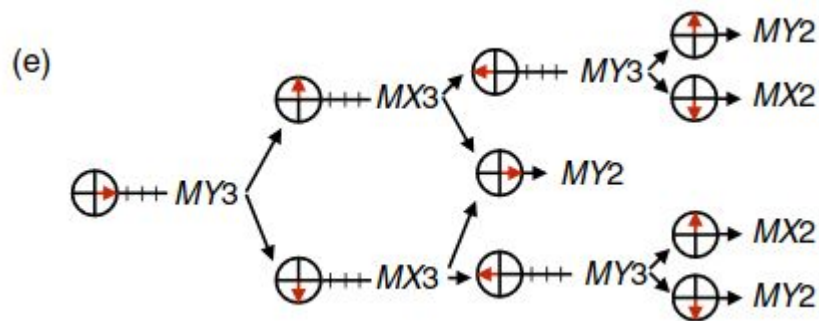
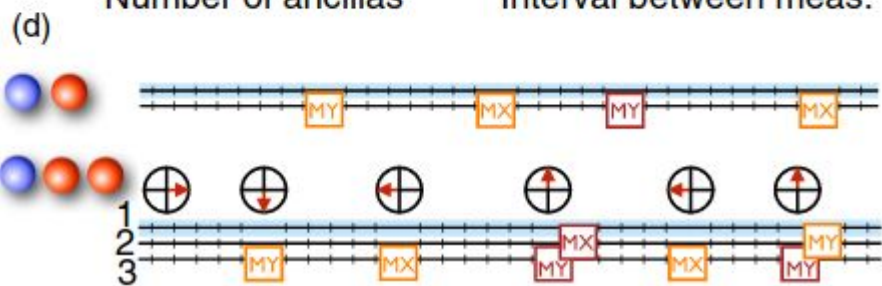
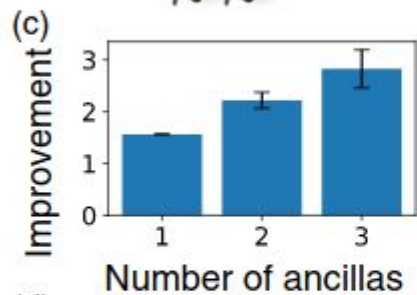
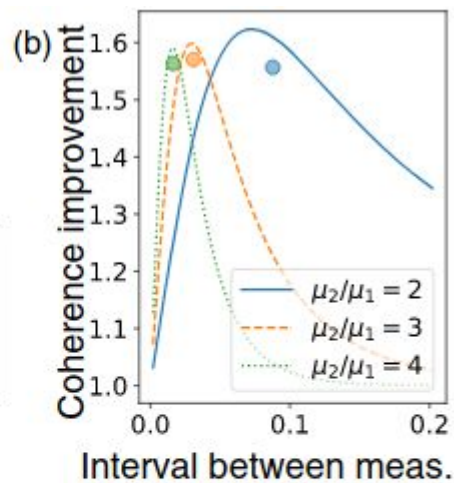
Results

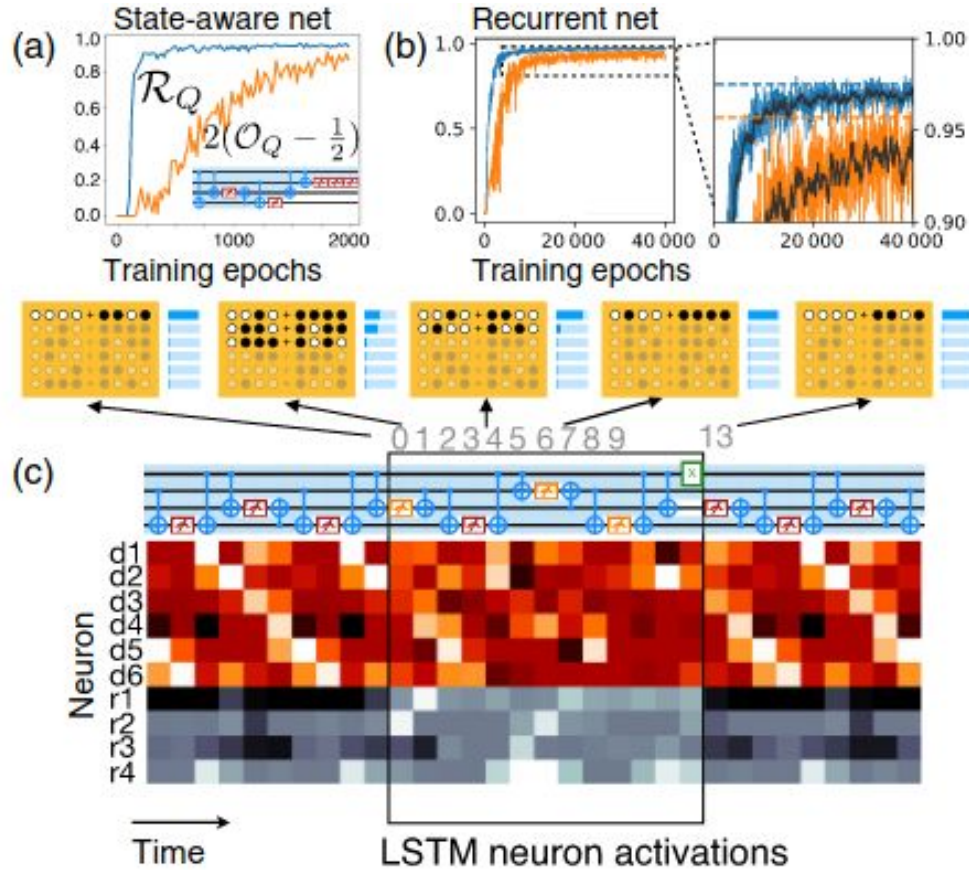




(c)









Future Applications and Conclusion

- Cavities as long-lived quantum memory
- Qubit connectivity
- Cooptimize the hardware layout (taking into account physical constraints)
- non-Markovian noise,
- weak measurements,
- qubit-cavity systems,
- error-corrected transport of quantum information through networks



Thank You for Your Attention!